

Pulse variations in XTE J1814-338

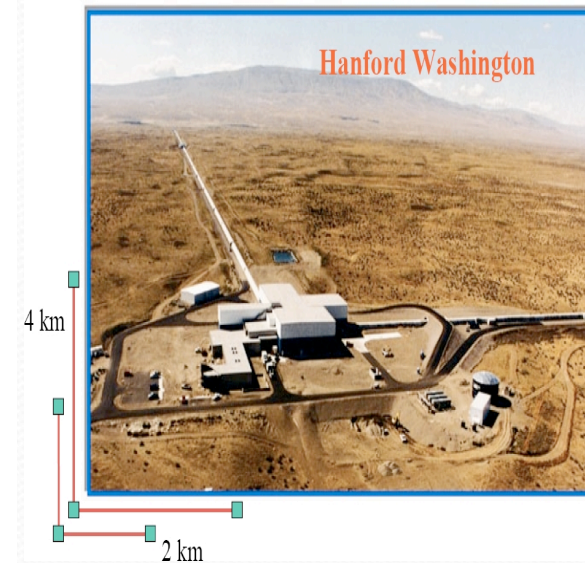
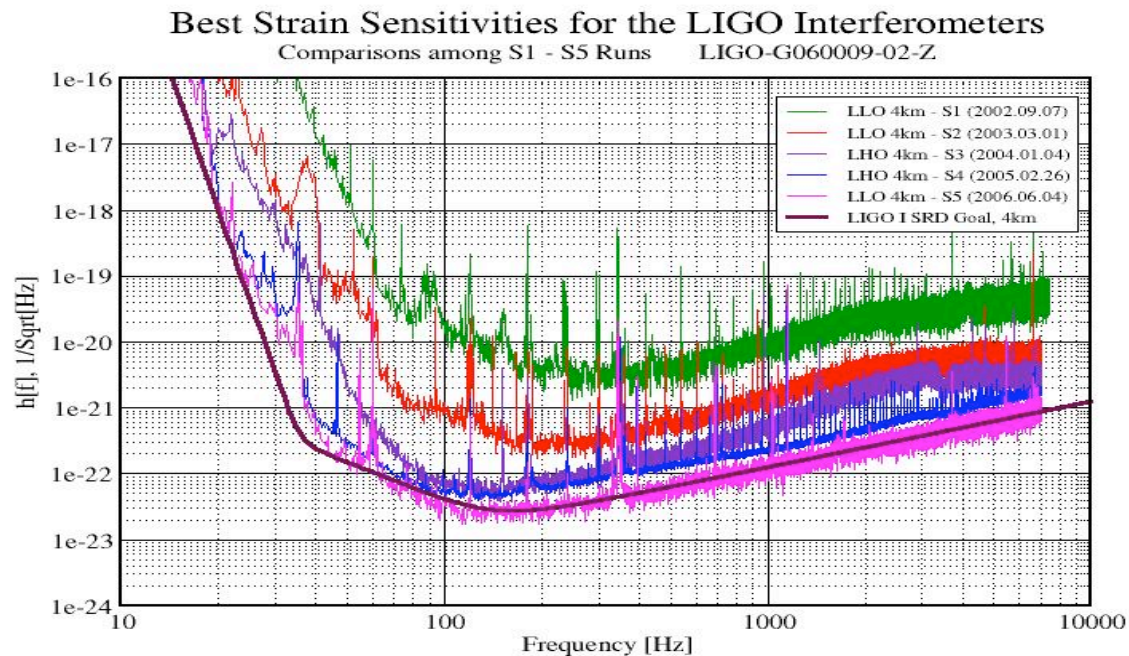
Christine Chung, Duncan Galloway, Andrew Melatos

A Source of Gravitational Waves

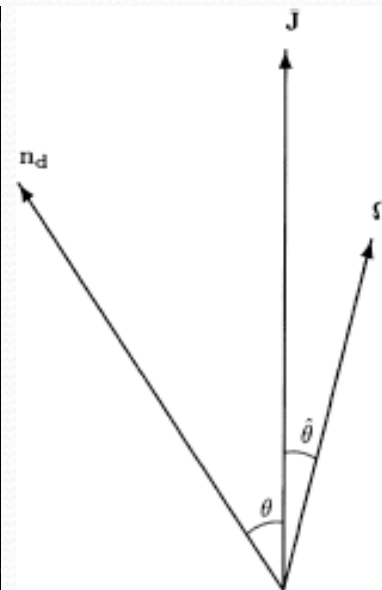
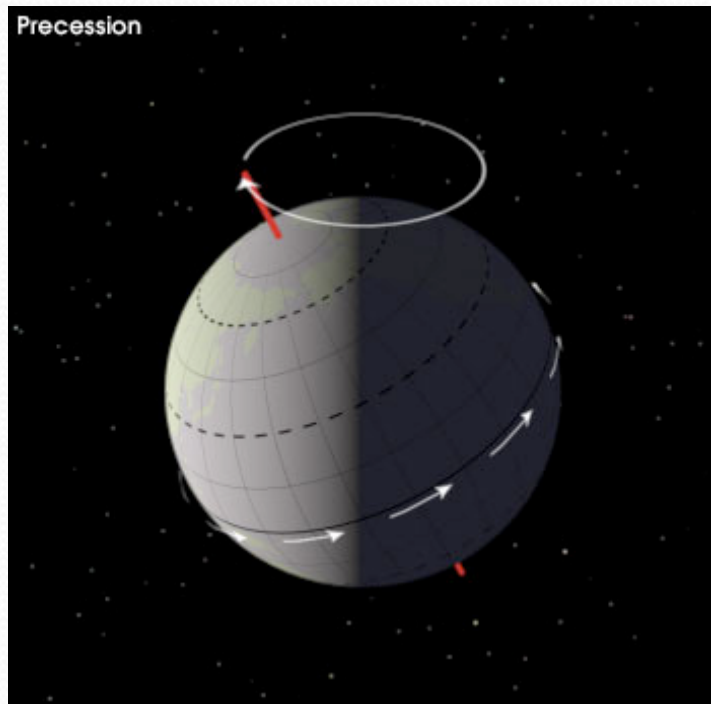
- According to most NS equations of state, the breakup frequency of a pulsar is ~ 1500 Hz.
- The fastest known MSP is spinning at 716 Hz.
- This discrepancy is thought to be due to torque from gravitational radiation balancing the accretion torque, preventing the pulsar from spinning at > 1000 Hz.
- Potential sources of gravitational radiation: magnetic mountains, glitches, precession?

Gravitational Wave Detection

- Sources:
 - Transient (mergers, supernovae...)
 - Persistent (early universe, binaries, pulsars...)
- LIGO to detect high frequency sources (> 1 Hz)
- AMSPs emit GW at 1x and 2x spin frequency (~ 1000 Hz)



Precession: Theory

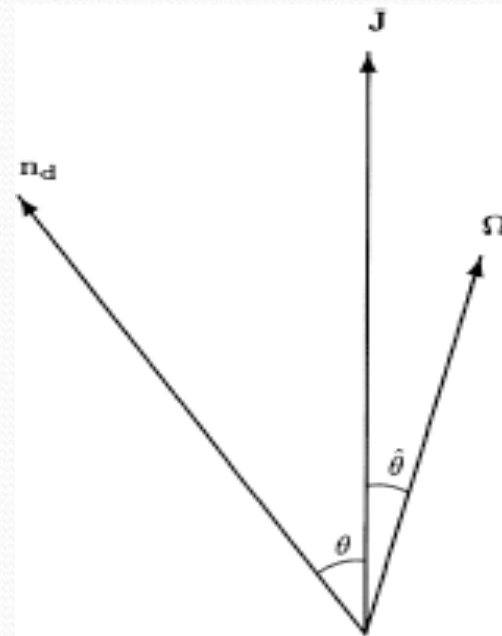


Two rotations:

1. Symmetry axis n_d rotates about angular momentum vector J rapidly (rotation frequency Ω_r)
2. Body of pulsar rotates about n_d slowly (precession frequency Ω_p)

Precession: Effects

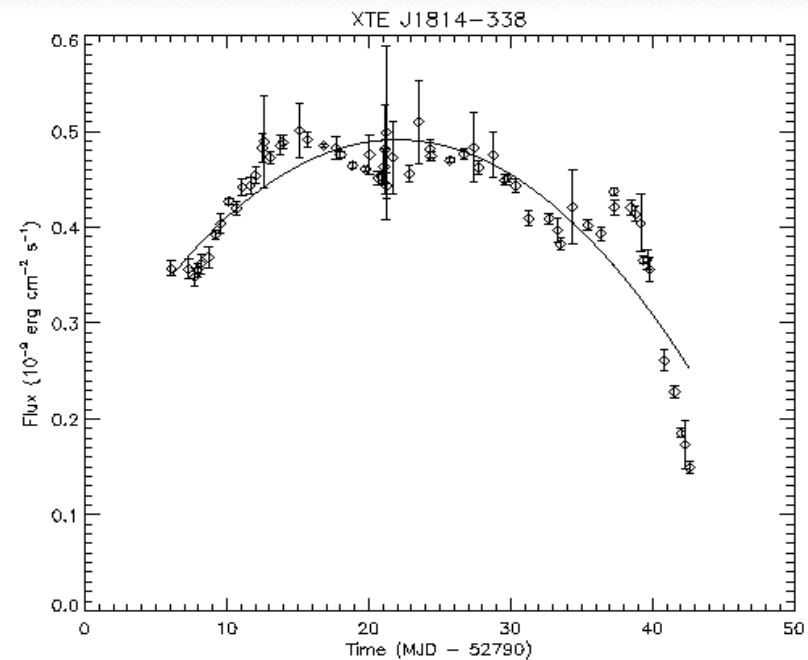
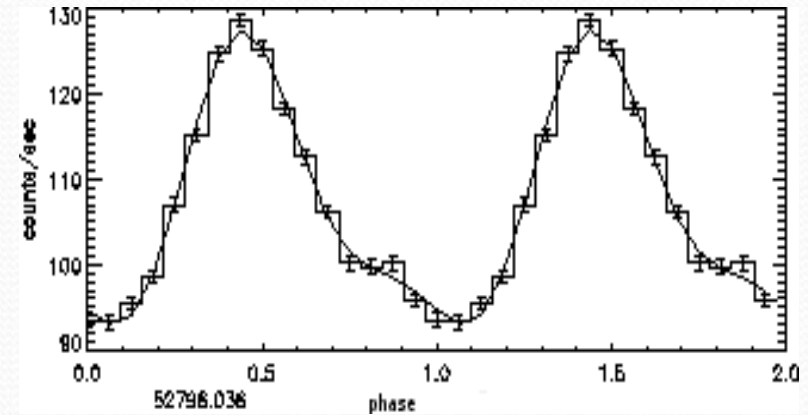
- Modulation of the phase and intensity on the timescale of the precession period
- Previously predicted analytically for radio pulsars by Jones & Andersson (2002)
- $\varepsilon = \Omega_p / \Omega \cos \theta$
 - ε = ellipticity
 - Ω_p = precession frequency
 - Ω = total rotation frequency
 - θ = tilt angle



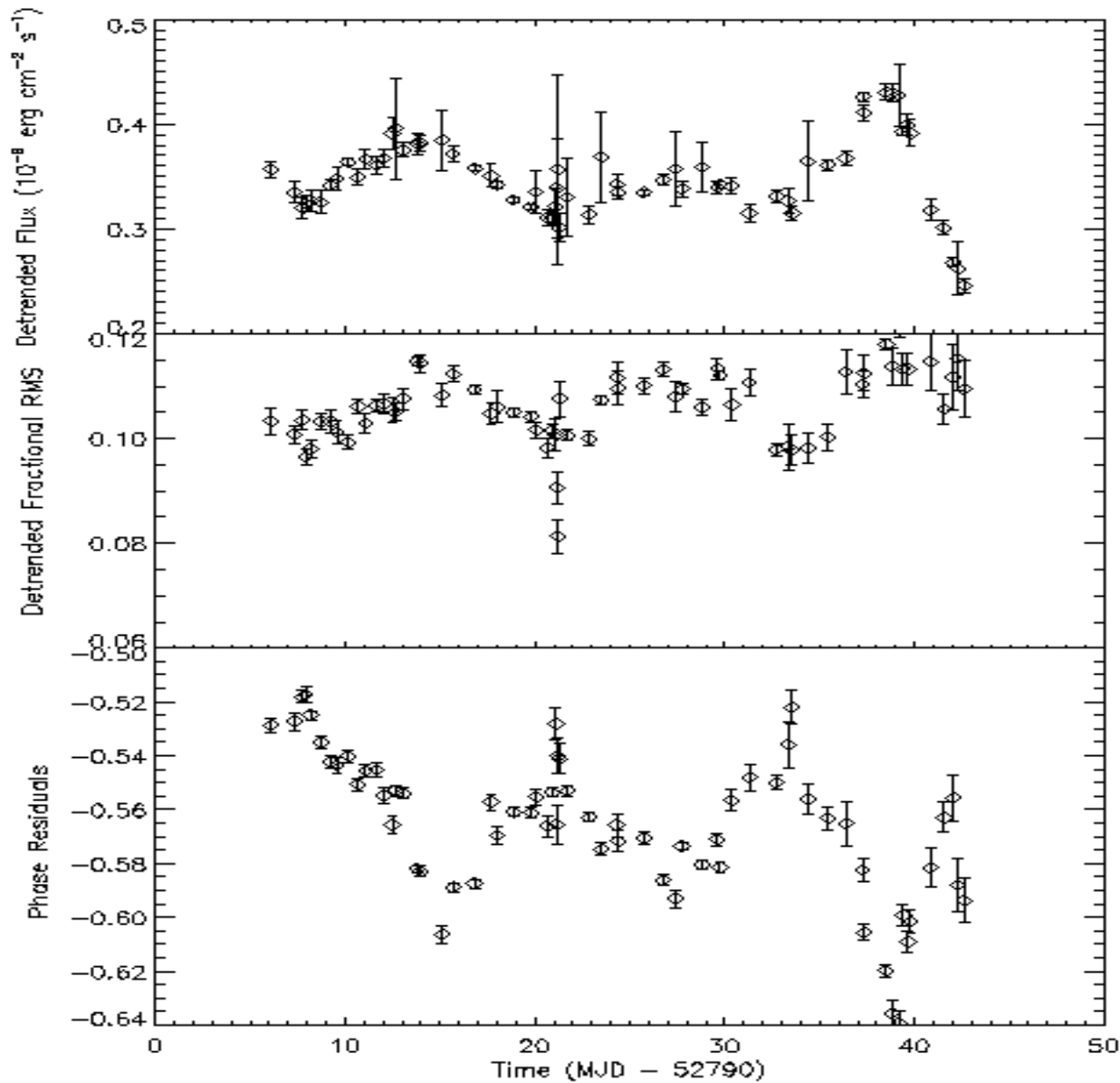
Data reduction: J1814-338

- Barycentre & satellite orbit correction
- Background subtraction, removal of any Type 1 bursts in data
- Fold over spin period (~ 0.003 s) to get pulse profiles
- Fit profiles with fundamental & first harmonic components:

$$A + B \sin(2\pi\theta + C) + D \sin(4\pi\theta + E)$$



Data reduction: flux, rms & phase residuals

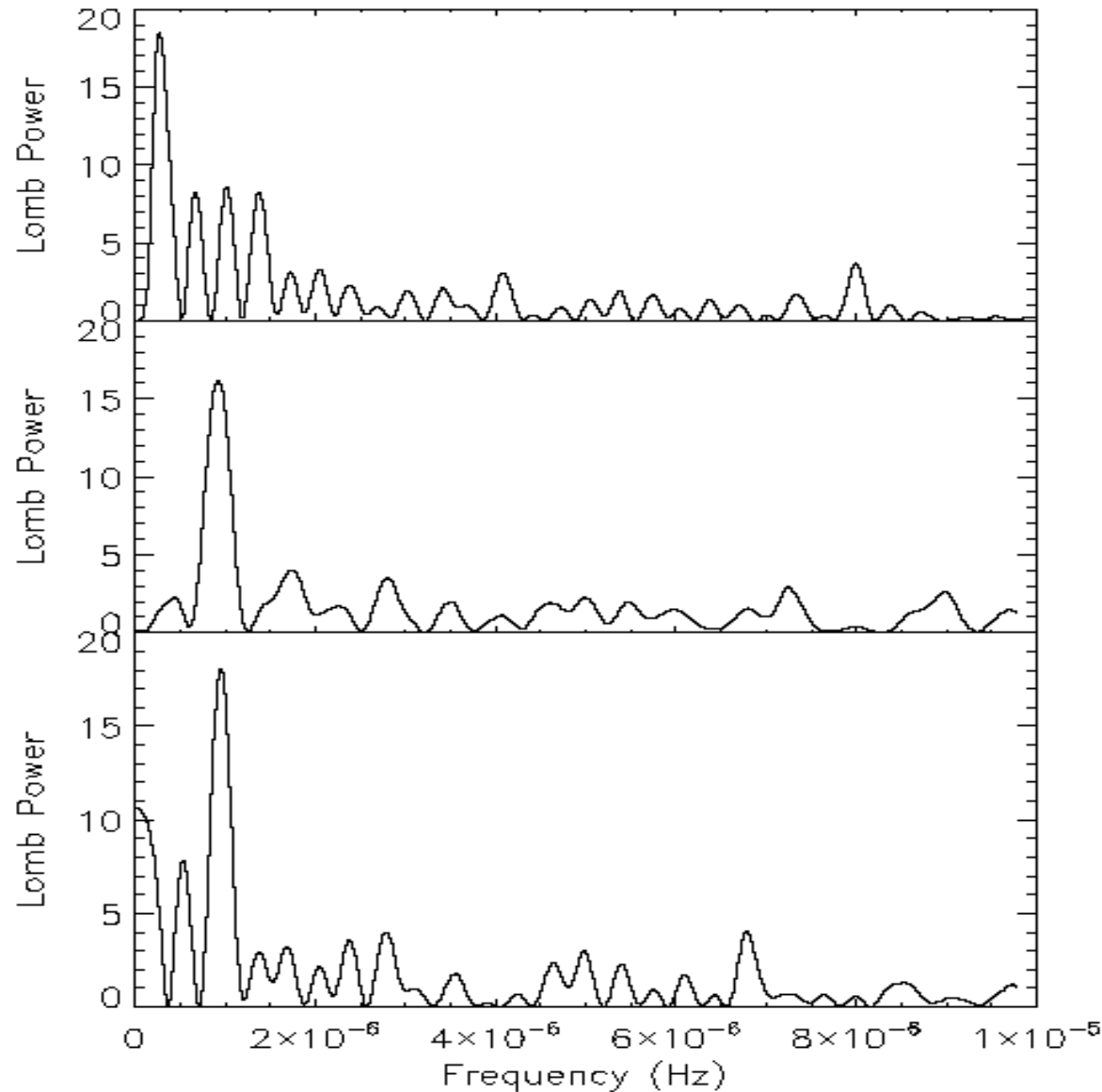


Flux

Fractional rms
 $B/\sqrt{2} A$

Phase residuals
 $0.25 - C/(2\pi)$

Lomb periodogram



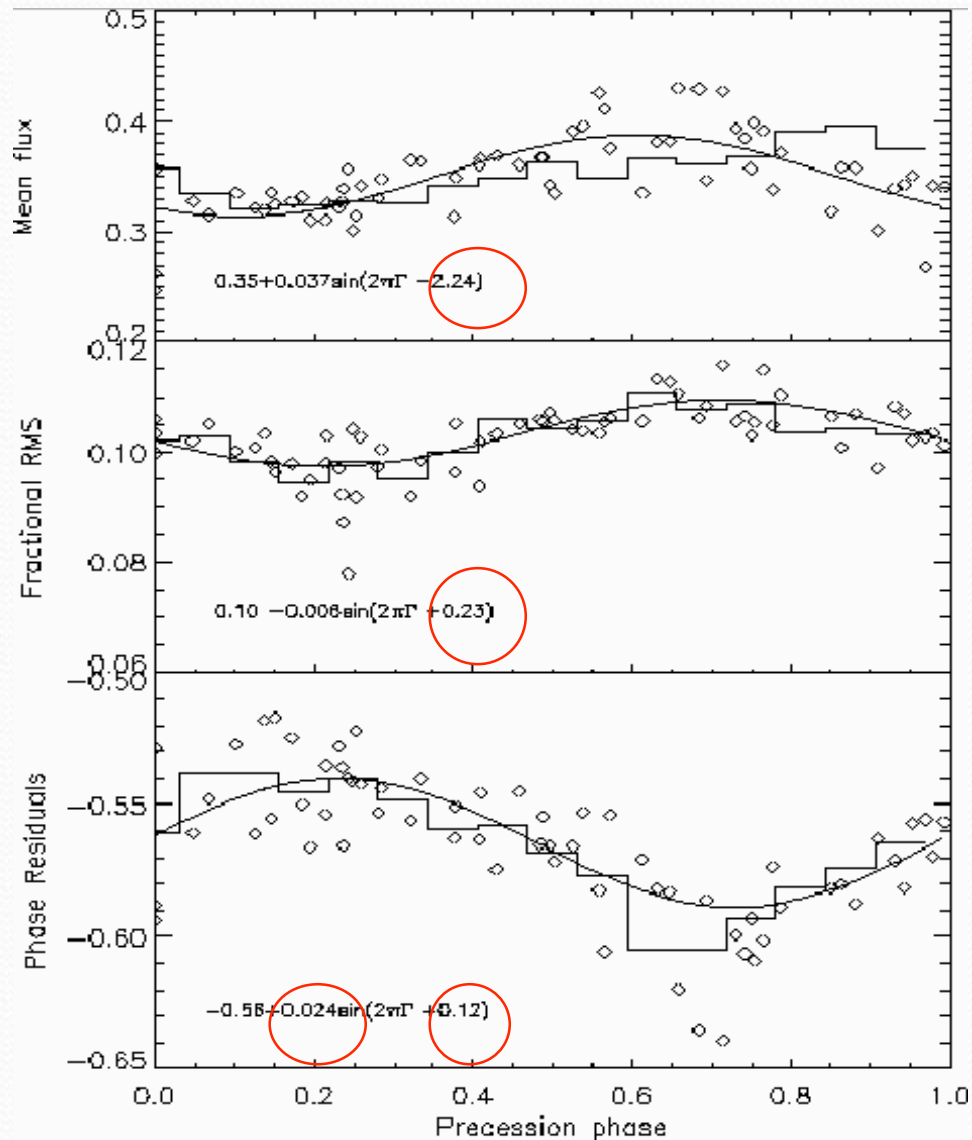
Flux period:
 11.8 ± 0.8 days

RMS period:
 12.6 ± 0.8 days

Phase residual period:
 12.2 ± 0.8 days

Mean period:
 12.2 ± 1.3 days

Final result



- Phase residuals, RMS and flux are folded over the mean period, then fitted with
- $A + A_m \sin(2\pi\Gamma + \Phi)$
- Compare the following measured quantities to simulations:

Phase residual-RMS precession phase offset, $\Delta\phi_{\text{phase}} = 3.1 \pm 0.2$

Flux-RMS precession phase offset, $\Delta\phi_{\text{flux}} = 0.7 \pm 0.3$

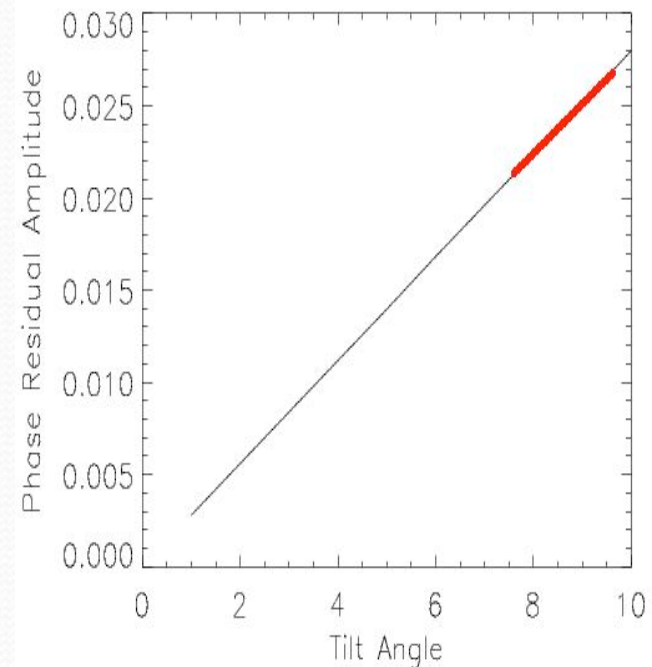
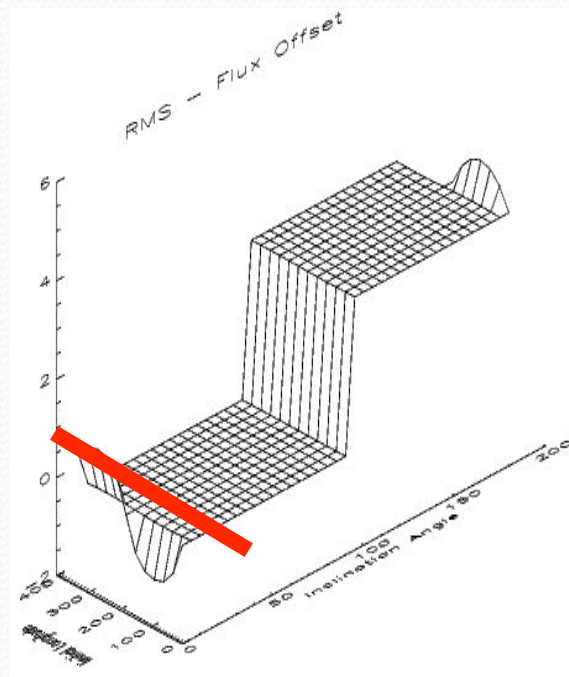
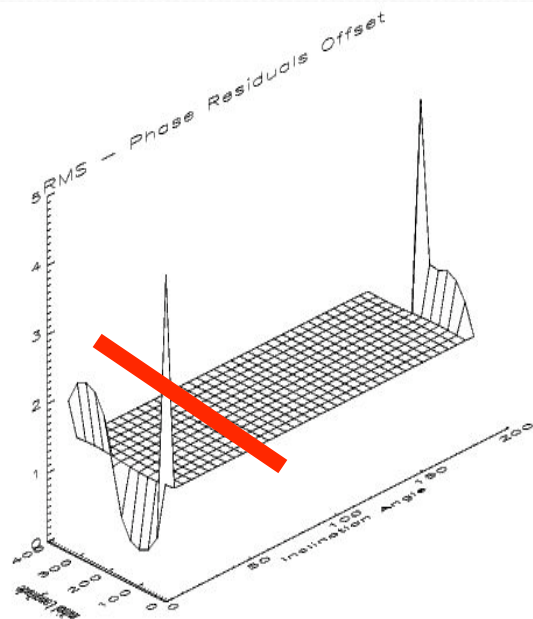
Phase residual amplitude, $A_{\text{phase}} = 0.024 \pm 0.003$

Simulations: parameter search

- Precession period determined by θ and ε
- Fixed parameter: $\varepsilon = 0.001$
- Initial parameters: θ , φ , i , α (hotspot latitude)
- Vary these 4 parameters in search of a match to the three data values of $\Delta\Phi_{\text{phase}} = 3.01$, $\Delta\Phi_{\text{flux}} = 0.7$, $A_{\text{phase}} = 0.024$
- Generally:
 - θ determines phase amplitude A_{phase}
 - i , α , (φ) determines precession phase offsets $\Delta\Phi$

Simulations: parameter search

- For most configurations of i , φ we find
$$\Delta\varphi_{\text{phase}} \sim \pi/2$$
$$\Delta\varphi_{\text{flux}} \sim \pi \text{ (if hotspot is in same hemisphere as LOS)}$$
$$\sim 0 \text{ (if hotspot is in different hemisphere as LOS)}$$
- Aphase increases with Θ (~ 0.024 for $\Theta = 9^\circ$)



Is there a match?

- Near match for $\Delta\varphi_{\text{phase}}$, $\Delta\varphi_{\text{flux}}$ only for $i < 1^\circ$
- The likelihood of us seeing a pulsar with such a small inclination angle i is almost zero, assuming isotropic distribution of pulsars.
- Such a small i means that the fractional RMS that we'd see is also tiny, i.e. $< 1\%$ (but the data shows $\sim 10\%$ RMS)
- So, either:
 - Our model is too simple (inaccurate surface map)
 - The source is not really precessing.

In summary...

- Reduced and analysed X-ray timing data of 3 AMSPs in hopes of finding evidence of free precession
- Possible signal in J1814-338
- Performed simulations, and found results matching the data only in the most unlikely configuration
- However, we can estimate upper limits:
 - $\epsilon \sim 10^{-9}$, $5 < \theta < 10$ (inaccurate surface map)
 - $\epsilon \cos \theta < 10^{-10}$ (no precession)